



Implications for cosmological expansion models from the final Dark Energy Survey BAO and SN data

Juan Mena-Fernández - LPSC (Grenoble, France)

On behalf of the Dark Energy Survey collaboration.





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- 5 bands: g, r, i, z, Y



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2. Structure growth







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$$D_L(z) = (1+z)c S_k \left[\int \frac{dz}{H(z)} \right]$$

with $S_{k=0}(x) = x, S_{k>0}(x) = \sinh(x), S_{k<0}(x) = \sin(x)$

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Angular distance vs redshift, $D_{M}(z)$. Depends on cosmology H(z)

$$D_M(z) = c S_k \left[\int \frac{dz}{H(z)} \right]$$

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- January 2024: DES-SN. ~2σ preference for w₀w_aCDM (arXiv:2401.02929).
- February 2024: DES-BAO. ~2.1σ deviation from Planck-ΛCDM (arXiv:2402.10696).







DES Collaboration 2024, arXiv:2401.02929

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DES SN team

+ A. Carr, M. Sullivan, M. Sako, R. Kessler, J. Lee, E. Kovacs, M. Smith, and others! ++

DES Collaboration 2024, arXiv:2401.02929

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DES BAO team







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K. C. Chan

Angular Correlation Function





DES Collaboration 2025, arXiv:2503.06712

- BAO DES Y6 BAO.
- SN DES Y5 SN.





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DES BAO+SN

teams, others!

team + BAO, SN, TCP





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DES Collaboration 2025, arXiv:2503.06712

- BAO DES Y6 BAO.
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- CMB Planck 2018 temperature and polarization power spectra.
- θ_{1} angular scale of the acoustic peak of the CMB spectra.
- **BBN** Big Bang nucleosynthesis constraints on baryon density (Schoneberg et al. 2024).



Planck col. 2020



-Fernández

DES BAO+SN

+ BAO, SN, TCP team teams, others!





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Main results. Constraints on cosmological parameters

- -
- Tension in $Ω_m$: BAO → lower $Ω_m$. SN → higher $Ω_m$.



- Tension in Ω_m :
 - BAO \rightarrow lower $\Omega_{\rm m}$.
 - SN \rightarrow higher $\Omega_m^{""}$.
- Tension in H_0 :
 - BAO+SŇ+BBN \rightarrow higher H₀.
 - BAO+SN+ $\theta_* \rightarrow \text{lower H}_0$.



- Several 2-3σ tensions between data sets.
- Difficulties to interpret our different datasets in ACDM.



Several 2-3 σ tensions between data sets.

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 $\begin{array}{c} H_0 \,\, [{\rm km} \, {\rm s}^{-1} {\rm Mpc}^{-1}] \\ 29 & 89 \end{array}$

66

Difficulties to interpret our different datasets in ACDM.



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• Tensions between **geometric probes** and **CMB**.



- Tensions between geometric probes and CMB.
- Curvature strongly dependent on data combination: tensions.
 - CMB: $10^3 \Omega_k = -23.6^{+4.2}_{-7.9}$
 - BAO+CMB: $10^3 \Omega_k = -1.4^{+5.8}_{-4.0}$
 - SN+CMB: $10^3 \Omega_k = -14.2^{+5.3}_{-4.9}$
 - BAO+SN+BBN+ θ_{\star} : $10^{3}\Omega_{k} = +45^{+15}_{-14}$





- Tensions among probes persist at ~2-3σ: SN vs. CMB+BAO.
- Most constraining case
 BAO+SN+CMB: w=-0.948±0.028.
- **BAO** and **SN** still push in different directions:
 - Different effective redshift.
 - Evolving dark energy?

Results in w_ow_aCDM

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 $w_{DE}(a) = w_0 + (1 - a)w_a$

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- **BAO+SN+CMB:** 3.2σ deviation from Λ CDM.
- Only background (BAO+SN+BBN+ θ_{\star}): 2.8 σ .



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- **BAO+SN+CMB:** 3.2σ deviation from Λ CDM.
- Only background (BAO+SN+BBN+ θ_{\star}): 2.8 σ .
- Similar deviation from ΛCDM as DESI-DR1 (+ DES-SN + CMB): 3.6σ.



Baseline result: w₀w_aCDM

- Combination of BAO and SN from the final DES dataset with CMB from Planck.
- BAO+SN+CMB: 3.2σ deviation from ΛCDM

(g.o.f. $\Delta \chi^2 = 11.6, 2.7\sigma$)



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- In Λ CDM and the one-parameter extensions we considered, BAO tends to pull combined constraints towards lower Ω_m , SN towards higher Ω_m , with some ~2-3 σ tensions between data combinations.
- All data sets are compatible in w₀w_aCDM.
- We found a $\sim 3\sigma$ preference for $w_0 w_a CDM$.

Thanks for your attention!
Back up slides

Data sets: CMB

1. Temperature and polarization anisotropy (CMB)

We incorporate measurements of the CMB temperature and polarization anisotropies using the *Planck* 2018 likelihood [51], which we will subsequently refer to using the label "CMB". Specifically, for temperature and polarization spectra for $\ell \ge 30$, we employ the Plik-lite likelihood, which incorporates the effects of marginalizing over *Planck* foreground and nuisance parameters and includes measurements of spectra up to $\ell_{max} = 2508$ for TT, and $\ell_{max} = 1996$ for TE and EE. Following the standard *Planck* analysis, at low multipoles $(2 \le \ell < 30)$ we use the Commander likelihood for the TT spectrum and the SimAll likelihood for the EE polarization spectrum. We do not include CMB lensing constraints.

2. Angular scale of the acoustic peak (θ_{\star})

In order to isolate geometric/background information from the CMB, in some cases we instead consider a constraint on

$$\theta_{\star} = r_s(z_{\star})/D_M(z_{\star}) \quad , \tag{4}$$

the ratio between the baryon-photon sound horizon and the comoving distance at the redshift of recombination, z_{\star} . We incorporate this via a Gaussian likelihood taken from the same *Planck* 2018 temperature and polarization data described above, [53], having

$$100 \theta_{\star} = 1.04109 \pm 0.00030$$
. (5)

For ease of comparison, we note that the θ_{\star} likelihood used in DESI analyses [20] has a nearly identical mean based on *Planck* 2018 constraints which include lensing, but DESI additionally increased this width by 75% to account for possible modeling uncertainties.

Priors

Parameter	Prior				
$H_0 [\mathrm{km s^{-1} Mpc^{-1}}]$ [55, 91]					
$\Omega_{ m m}$	[0.1, 0.9]				
Ω_{b}	[0.03, 0.07]				
k ACD	kACDM				
Ω_k	[-0.25, 0.25]				
w CDN	1				
W	[-3, -0.33]				
w ₀ w _a CI	DM				
wo	[-3, -0.33]				
Wa	[-3, 3]				
νΛCD	М				
$\sum m_{\nu}[eV]$	[0, 1]				
Chains that inc	Chains that include CMB				
τ	[0.04, 0.15]				
$A_{\rm s} \times 10^9$	[0.5, 5.0]				
ns	[0.87, 1.07]				
a _{Planck}	(1.0, 0.0025)				

Quoting tensions with ACDM

To quantify preferences for an extended model relative to Λ CDM we compare constraints on cosmological parameters. To do so, we compute the probability of a shift in the alternative model's added cosmological parameters relative to their corresponding Λ CDM values. This probability is defined as:

$$\Delta(D, M) \equiv \int_{P(\mathbf{p} \mid D, M) > P(\mathbf{p}^* \mid D, M)} P(\mathbf{p} \mid D, M) d\mathbf{p}, \quad (19)$$

where **p** represents the additional parameters of the model M with respect to Λ CDM (e.g., w_0 and w_a in w_0w_a CDM), and **p**^{*} denotes the Λ CDM values of these parameters (e.g. $w_0 = -1$, $w_a = 0$). This integral quantifies the posterior mass exceeding the iso-density contour defined by the Λ CDM posterior value, $P(\mathbf{p}^* | D, M)$. Note that if the extra parameters have flat priors, as it is in the cases considered here, this result is parameter invariant.

We always report results as the effective number of standard deviations. Given an event of probability Δ , it is given by [74]:

$$n_{\sigma} \equiv \sqrt{2} \operatorname{Erf}^{-1}(\Delta) \,. \tag{21}$$

This corresponds to the number of standard deviations that an event with the same probability would have had if it had been drawn from a Gaussian distribution.

Comparison with other approaches

- Our approach:
 - for weakly constrained posteriors, its reported significance may be impacted by how prior bounds (including in other parameter directions) shape the marginalized posteriors of the beyond-ACDM parameters.
- Evidence ratios:
 - more directly sensitive to the choice of parameters' prior ranges.
- Frequentist $\Delta \chi^2$ improvements:
 - less sensitive to the prior and projection effects.
 - subject to the uncertainty due to noise in the χ^2 minimization procedure.
 - translating $\Delta \chi^2$ estimates to model comparison significances relies on assumptions of Gaussianity both of the likelihood in data space and of the posterior in parameter space which may not hold for all data combinations we consider.
 - equivalent to our approach in the limit of Gaussian posteriors.

Deviations from **ACDM**

Dataset	Deviations from $\Lambda CDM(\sigma)$			
	<i>k</i> ACDM	wCDM	w ₀ w _a CDM	
BAO + SN + BBN	1.4	1.4	1.8	
$BAO + SN + BBN + t_U$	-	-	2.0 (2.7)	
$BAO + SN + \theta_{\star}$	2.5	2.7	2.3	
$BAO + SN + \theta_{\star} + BBN$	2.8	3.1	2.8	
$BAO + SN + \theta_{\star} + BBN + t_U$	-	-	2.9 (2.8)	
SN	1.3	1.6	2.0	
CMB	3.0	1.7	2.5	
SN + CMB	2.9	2.0	2.2	
BAO + CMB	0.6	2.8	3.4	
BAO + SN + CMB	1.2	1.8	3.2	

TABLE II. Statistical significance, in σ s, of deviations from ACDM based on shifts in the additional parameter(s) in the extended model: Ω_k in kACDM, w in wCDM and $\{w_0, w_a\}$ in w_0w_a CDM. See the methodology described in Section III C 1. For the case of t_U priors, we consider the fiducial Gaussian prior case and, in parenthesis, the case where only a lower bound on t_U is set. We highlight in bold the case for BAO+SN+CMB, our most constraining combination, which in the w_0w_a CDM model shows a 3.2 σ deviation from ACDM.

Deviations from Λ CDM (from $\Delta \chi^2$)

	$\Delta \chi^2$ improvement compared to ACDM			
Dataset	kACDM	wCDM	w ₀ w _a CDM	
BAO + SN + BBN	1.0 (0.5)	1.6 (0.8)	5.7 (1.6)	
BAO + SN + θ_{\star}	2.9 (1.3)	3.8 (1.6)	5.0 (1.4)	
$BAO + SN + \theta_{\star} + BBN$	9.3 (2.3)	10.4 (3.0)	10.9 (2.6)	
SN	1.0 (0.5)	1.6 (0.8)	5.9 (1.6)	
CMB	5.0 (2.0)	0.4 (0.0)	0.9 (0.0)	
SN + CMB	8.3 (2.7)	3.8 (1.6)	7.4 (2.0)	
BAO + CMB	0.8 (0.3)	7.3 (2.5)	7.8 (2.1)	
BAO + SN + CMB	1.1 (0.5)	3.5 (1.5)	11.6 (2.7)	

TABLE III. Improvement in goodness-of-fit from freeing additional model parameters computed via the difference between the minimum χ^2 estimated for ACDM and that for each extended model. Positive values indicate an improved fit in the extended model. Numbers in parentheses indicate the statistical significance in σ s assuming a Gaussian approximation for the posterior, which may not be accurate for less constraining data combinations.

$$ext{CDF}_{\chi^2}\left(\Delta\chi^2_{ ext{MAP}} | \, 2 \, ext{dof}
ight) = rac{1}{\sqrt{2\pi}} \int_{-N}^N e^{-t^2/2} dt$$

Quoting tensions between datasets

We start by building the posterior distribution of parameter differences. We consider each dataset, and in particular the two data sets denoted 1 and 2, to be independent. Under the assumption that the two-parameter sets that describe the datasets, $\mathbf{p}_1, \mathbf{p}_2$, differ, the joint distribution of their parameter determinations is given by the product of their posteriors:

$$P(\mathbf{p}_1, \mathbf{p}_2 | d_1, d_2) = P_1(\mathbf{p}_1 | d_1) P_2(\mathbf{p}_2 | d_2).$$
(1)

To compute the distribution of parameter differences, we change variables by defining $\Delta \mathbf{p} \equiv \mathbf{p}_1 - \mathbf{p}_2$, including all parameters shared by the two datasets. The distribution of $\Delta \mathbf{p}$ is obtained by marginalizing over one of the parameters:

$$P(\Delta \mathbf{p}) = \int P_1(\mathbf{p}) P_2(\mathbf{p} - \Delta \mathbf{p}) d\mathbf{p}.$$
 (2)

The distribution of parameter differences, $P(\Delta \mathbf{p})$, provides insight into whether the parameter determinations from two datasets are consistent. Intuitively, if $P(\Delta \mathbf{p})$ has most of its support when $\Delta \mathbf{p}$ has large deviations from zero, the two parameter sets are incompatible, indicating a tension between the datasets. To quantify the probability of a parameter shift, we calculate it as

$$\Delta \equiv \int_{P(\Delta \mathbf{p}) > P(0)} P(\Delta \mathbf{p}) \, \mathrm{d}\Delta \mathbf{p},\tag{1}$$

Tensions between datasets

	Tension (σ)				
Datasets	АСДМ	kACDM	w CDM	w ₀ w _a CDM	νΛCDΜ
BAO vs SN	0.5	0.0	0.0	0.3	0.2
CMB vs SN	1.7	1.5	1.3	1.1	1.2
CMB vs BAO	2.0	3.2	0.6	0.1	2.0
SN vs BAO + θ_{\star}	2.4	-	-	-	-
CMB vs BAO + SN + BBN	2.2	3.3	2.2	1.2	-
SN vs BAO + BBN	0.4	-	-	-	-
SN vs BAO + BBN + θ_{\star}	2.9	0.5	0.0	0.9	2.6
BAO + CMB vs SN	2.1	1.5	2.5	1.6	2.1
CMB vs BAO + SN + BBN + t_U	1.5 (0.8)	-	-	0.9 (0.9)	-

TABLE IV. Tensions, in σ s, among independent (combinations of) probes for a given model. See the methodology described in Section III C 2. For the case of t_U priors, we consider the fiducial Gaussian prior case and, in parenthesis, the case where only a lower bound on t_U is set. We note that these tensions are reported in the whole parameter space unlike deviations in Table II, which refer to the parameter additional to Λ CDM.







 w_0

 $\Lambda CDM vs. w_0 w_a CDM$





 $\Lambda CDM vs. w_0 w_a CDM$





Hubble constant



DES vs. DESI BAO

